| Topic 8.1 Solving Trigonometric Equations Using Inverses Essential Question: <br> How can you use an inverse function to find all the solutions of a trigonometric equation? |  |  |  |
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| Explore and Reason Complete online |  |  |  |
| CONCEPT: Define Inverse Trigonometric Functions |  |  |  |
|  | Inverse sine | Inverse cosine | Inverse tangent |
| FUNCTION | $y=\sin ^{-1} x$ | $y=\cos ^{-1} x$ | $y=\tan ^{-1} x$ |
| DOMAIN | [-1, 1] | [-1, 1] | $(-\infty, \infty)$ |
| RANGE | $\left[\frac{-\pi}{2}, \frac{\pi}{2}\right]$ | $[0, \pi]$ | $\left(\frac{-\pi}{2}, \frac{\pi}{2}\right)$ |
| GRAPHS |  |  |  |
| NOTES: |  |  |  |

## Examples \& Questions <br> Examples 1

Q: Is there more than one way to restrict the domain of $y=\sin x$ so the function has a valid inverse function?

## Examples 2

Q: What do you know about the value of $\sin ^{-1}\left(\frac{1}{2}\right)$ ?
Q : What is another way to determine the value of $\sin ^{-1}\left(\frac{1}{2}\right)$ ?

## Examples 3

Q: Why do you need to check that your calculator has the correct units of measure selected?
Q: Why do you add $\left(360^{\circ}\right) \mathrm{k}$ to two angles to identify all angles with the cosine value in Part A , but add $\left(180^{\circ}\right) \mathrm{k}$ to only one value to identify all angles with the tangent value in Part B?

## Examples 4

Q: How is solving the trigonometric equation in the example similar to solving a linear equation?
Q: How do you now if you made an error isolating the sine function?

## Examples 5

Q: How is one year represented in this function?
Q: Why is looking at a graph helpful when answering this question?
Q: How do you know if the angle in the express $\cos \left(\frac{\pi x}{6}\right)$ is measured in radians or degrees?
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Complete MathXL for School: Practice and Problem Solving (online)
Complete MathXL for School: Enrichment (online)

Lesson Quiz 8.1

