

NUMBERS	A necklace costs \$250 and increases in value by 2% per year. a = initial amount \$250 b = growth factor 1.02 x = number of years $y = 250(1.02)^x$	A principal of \$3,000 is invested at 5% annual interest, compounded monthly, for 4 years. P = 3,000 $r = 5%$ $n = 12 compounding periods$ per year t = 4 years(12)(4)	A principal of \$3,000 is invested at 5% continuously compounded interest for 4 years. P = 3,000 r = 5% t = 4 years $A = 3000e^{(0.05)(4)}$
		$A = 3000 \left(1 + \frac{0.05}{12}\right)^{(12)(4)}$	$A = 3000e^{(0.05)(4)}$
Q: Write models for the balance in an account with \$500 principal and an interest rate of 4.5% compounded both monthly and continuously.			

Q: How does the value of *n* affect the value of *A*?

Examples & Questions

Examples 1

Q: How does the monthly rate compare to the annual rate?

Examples 2

Q: Why is 0.04 used in the formula for *r* rather than 4?

Examples 3

Q: Are the values of $(1+\frac{1}{n})^n$ exact values?

Examples 4

Q: What part of the *continuously compounded interest formula* represents the concept of continuous?

Examples 5

Q: Why is 7 substituted for x? Q: How can you find the growth factor when the data points have x-values than are 2 units apart?

Examples 6

Q: Why can't the soup cool to a temperature below 68°F? Q: What does 0.9492 mean in the given context? Q: Can you use a model that does not involve adding 68 to the exponential function?

Practice and Problem Solving

Complete MathXL for School: Practice and Problem Solving (online) Complete MathXL for School: Enrichment (online)

Challenge: #26, 27, 30, 33 – key will be posted in Power School Learning.

Lesson Quiz 5.1/Notes