## Topic 3.2:

Essential Question:

How do you add, subtract, multiply polynomials?

## Explore \& Reason

Please complete online.
CONCEPT Summary

## Adding, Subtracting, and Multiplying Polynomials

ADD To add polynomials, use the Associative and Commutative Properties to group like terms. Then use the Distributive Property to combine like terms.

$$
\begin{aligned}
& \left(2 x^{2}+5 x-7\right)+\left(3 x^{2}-9 x+12\right) \\
& \quad=\left(2 x^{2}+3 x^{2}\right)+(5 x-9 x)+(-7+12) \\
& \quad=5 x^{2}-4 x+5
\end{aligned}
$$

SUBTRACT To subtract polynomials, distribute the factor of $\mathbf{- 1}$. Then, group and combine like terms.

$$
\begin{array}{rlr}
\left(6 x^{3}\right. & \left.+2 x^{2}+14\right)-\left(4 x^{3}+4 x^{2}-8\right) & \\
& =6 x^{3}+2 x^{2}+14-4 x^{3}-4 x^{2}+8 & \\
& =\left(6 x^{3}-4 x^{3}\right)+\left(2 x^{2}-4 x^{2}\right)+(14+8) & \\
& =2 x^{3}-2 x^{2}+22 & \text { of }-1 \text { to each term. }
\end{array}
$$

MULTIPLY To multiply polynomials, use the Distributive Property. Then, group and combine like terms.

$$
\begin{aligned}
(x+ & +5)\left(3 x^{2}-2 x+4\right) \\
& =x\left(3 x^{2}-2 x+4\right)+5\left(3 x^{2}-2 x+4\right) \\
& =3 x^{3}-2 x^{2}+4 x+15 x^{2}-10 x+20 \\
& =3 x^{3}+\left(-2 x^{2}+15 x^{2}\right)+(4 x-10 x)+20 \\
& =3 x^{3}+13 x^{2}-6 x+20
\end{aligned}
$$

Notes:

## Examples \& Questions

## Examples 1

Part A
Q: Why can the Commutative and Associative Properties be applied in the same step?
Part B
Q: If two polynomials are being subtracted, what property must be used?

## Examples 2

Part A
Q: When you multiply a binomial ( 2 terms) and a trinomial ( 3 terms), what is the maximum number of terms in the product?
Q: What do you notice about the product of two polynomials?

Part B
Q: Does it matter which two binomials you multiply first?

## Examples 3

Q: What does mean to say that the set of polynomials is closed under addition?

## Examples 4

Q: What is the difference between revenue and profit in this example?
Q : Why does the price function need to be multiplied by the number of items sold whereas
the cost function does not?
Q : How is the maximum point on the graph related to the nine wind chimes?

## Examples 5

Part A
Q: What do the $y$-intercepts represent for each function?

Part B
Q: What restrictions are on the domains of these functions?
Q: How ca you determine a realistic number of items that Carolina and Kiyo can each produce and sell?

Practice and Problem Solving
Complete MathXL for School: Additional Practice (online)
Complete MathXL for School: Enrichment (online)
Challenge: \#10, 15, 24, 32 - key will be posted in Power School Learning.
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Lesson Quiz 3.2

